

# Using Pandora PFA on $e^+e^- \rightarrow Z + H$ with LDC01Sc

Getting ready to compare with MAPS

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# Outline

- 1 Overview
- 2 Preparation
- 3 Results
- 4 Summary

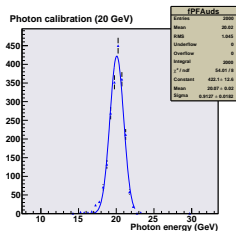
# Testing Pandora

Preheat oven to 180 °C:

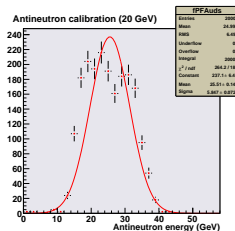
- 1 Compile Pandora having downloaded it out of CVS.
  - 2 Calibrate it on photons, antineutrons and everything else
  - 3 Recalibrate on the  $Z \rightarrow uds$  pole
  - 4 Run on events of interest
- ☞ Will consider the channel  $e^+e^- \rightarrow Z + H$  where  $H$  is invisible (set  $m_H = 140 \text{ GeV}/c^2$ ) and  $Z$  decays to two jets.
- ☞ Also using LDC01Sc.

# Calibration is crucial

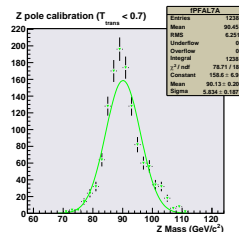
Interested in jets  $\Rightarrow$  use  $Z$  pole



(a) Calibration with photons



(b) Calibration with antineutrons



(c) Calibration at the  $Z$  pole, for  $Z \rightarrow uds$  jets.

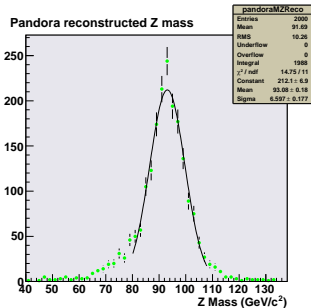
# Calibration for LDC01Sc

Use the following in the Pandora steering file

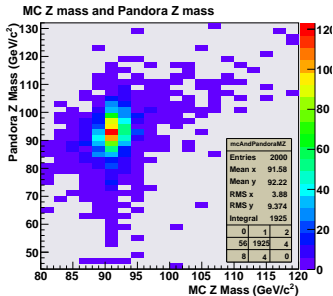
Obtained by hand, optimising for Z jets. . .

```
<parameter name="HCALMIPcalibration" type="float">42.5 </parameter>  
<parameter name="ECALThreshold" type="float">0.5 </parameter>  
<parameter name="HCALThreshold" type="float">0.3 </parameter>  
<parameter name="ECALEMMIPToGeV" type="float">0.0058 </parameter>  
<parameter name="ECALHadMIPToGeV" type="float">0.005 </parameter>  
<parameter name="HCALEMMIPToGeV" type="float">0.013 </parameter>  
<parameter name="HCALHadMIPToGeV" type="float">0.034 </parameter>
```

# Reconstructed Z mass



(d) The reconstructed Z mass found using Pandora.

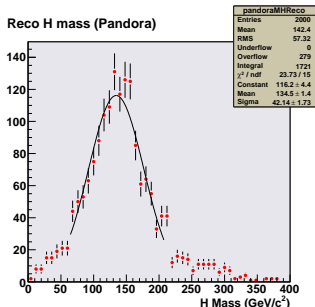


(e) A 2D Histogram of the Z mass from Pandora compared with the Monte Carlo Z mass for that event.

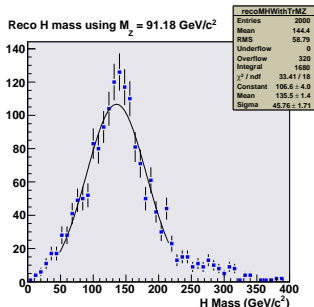
Figure: Pandora's reconstructed Z mass, with a comparison with the Monte Carlo Z mass.

# Vanilla $H$ mass reconstruction

$$m_H = \sqrt{(E_{CM}^2 - E_{\text{event}})^2 - p_{\text{event}}^2}$$



(a) The reconstructed  $H$  mass using Pandora's reconstructed  $Z$  mass.



(b) Using  $m_Z = 91.18 \text{ GeV}/c^2$ .

Figure: Reconstructed  $H$  masses using two different methods.

# Transverse event thrust and alpha

## Some definitions

Define transverse thrust:

$$T_{\text{trans}} = \frac{\sum_i p_{z,i}}{\sum_i |\mathbf{p}_i|} \quad (1)$$

Define  $\alpha$ :

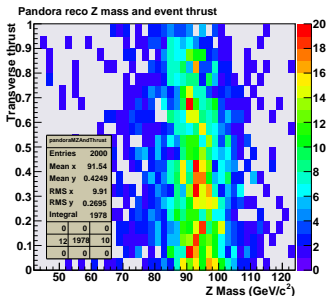
$$\alpha = \frac{m_Z}{m_{\text{event}}} \quad (2)$$

Corrected  $H$  mass:

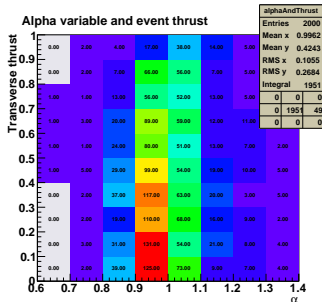
$$m'_H = \sqrt{(E_{\text{CM}} - \alpha E_{\text{event}})^2 - (\alpha p_{\text{event}})^2} \quad (3)$$



# Transverse event thrust and alpha Relationships



(a) Z mass and transverse thrust relationship.

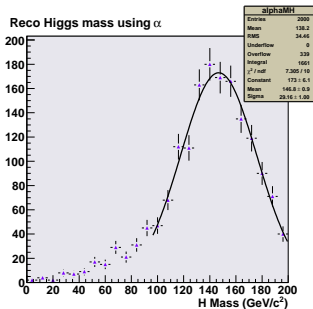


(b)  $\alpha$  and event thrust are  $\sim$  related.

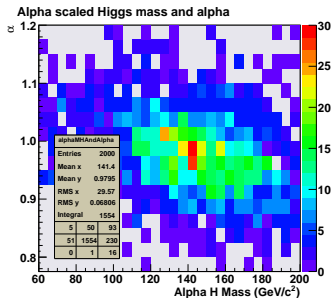
Figure: Exploring the relationship between transverse event thrust,  $\alpha$  and the reconstructed Z mass.

# Transverse event thrust and alpha

## Improvement on the $H$ mass calculation



(a) The  $H$  mass when the  $\alpha$  scaling variable is applied.



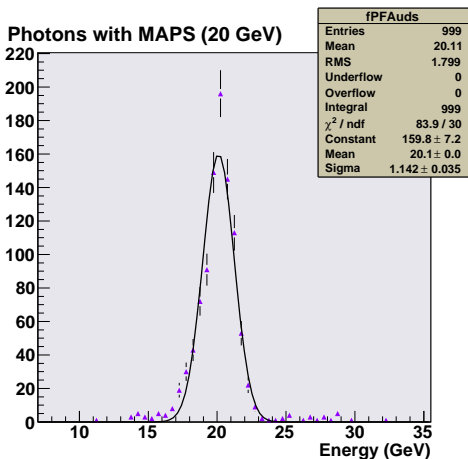
(b) A 2D Histogram of the  $H$  mass with  $\alpha$  scaling, and the  $\alpha$  value.

# Results

- Despite poor fits,  $\alpha$  correction improves width of Gaussian fit on  $H$  mass from 42 GeV to 30 GeV.

# First look at photons with MAPS

Hot off the press!



# Summary

- **Calibration** is a pain.
- We can reconstruct  $Z$  mass well  $\Rightarrow$  do a good job of getting the  $H$  mass.
- **Dominated by detector resolution**; using  $\alpha$  scaling works well.
- Need more investigations regarding Pandora's **performance i.t.o. event thrust**.
- We've started work on **MAPS!**

## Where next. . .

- Improve the handwaved Gaussian fits with **Lorentzians** where appropriate.
- **Automate** the calibration.
- Turn on **MAPS** and check we do as well, if not better(!)
- **Optimise** Pandora for MAPS.