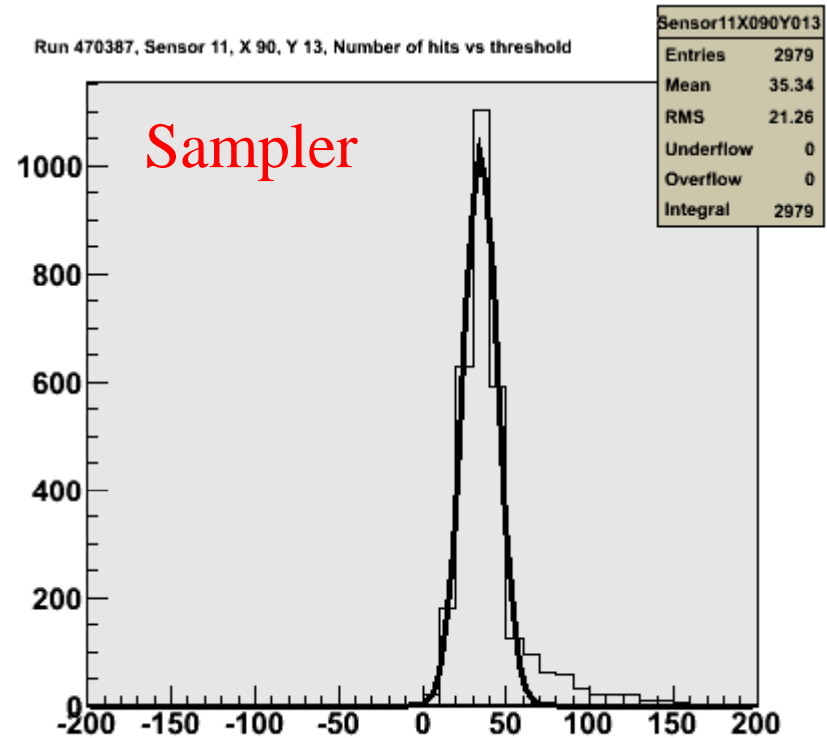
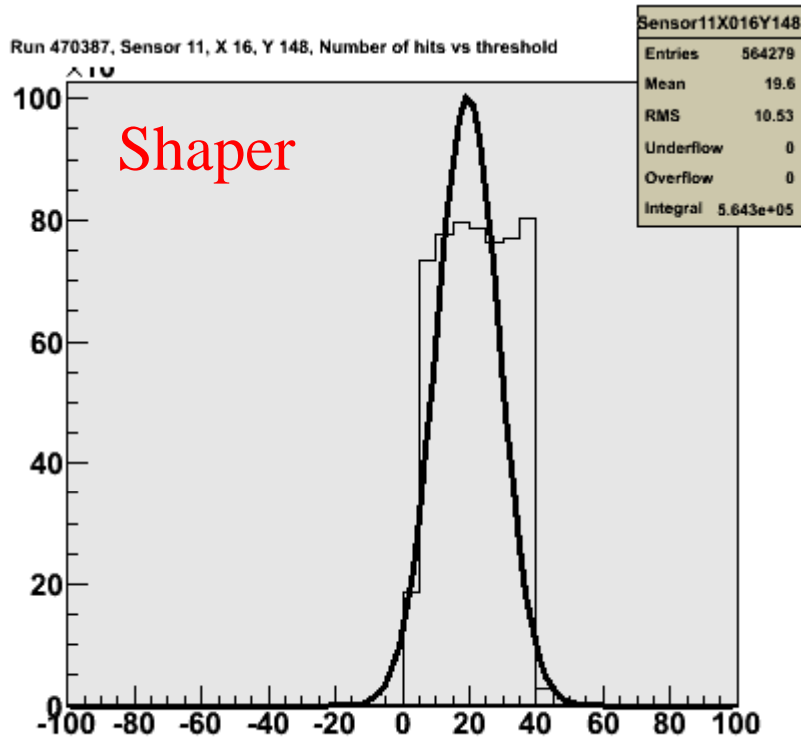

Pixel pedestal variation

Paul Dauncey

Look at response at low thresholds

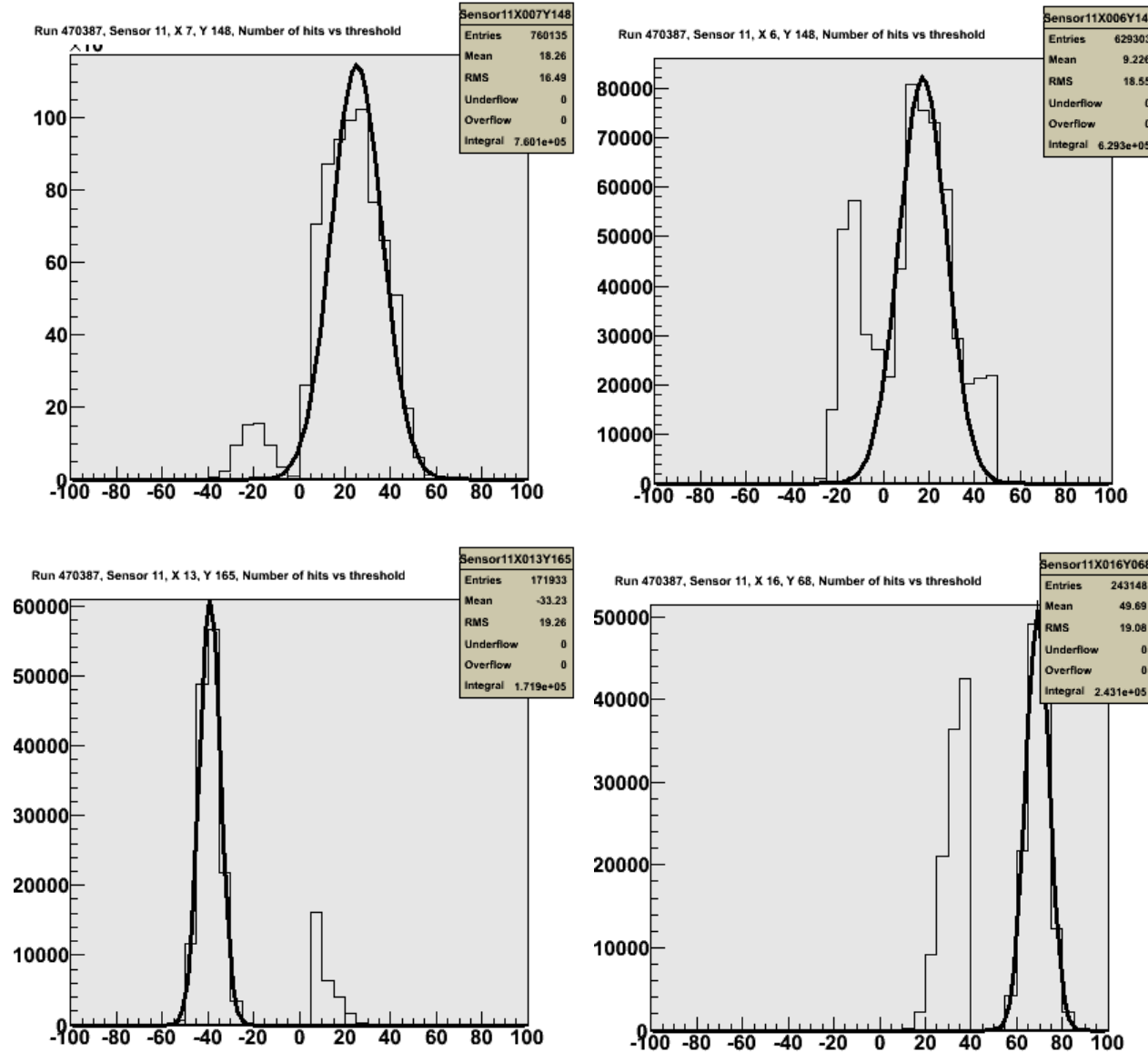
- Unmask one pixel per region row (of 42) at a time
- Note, did all $x=0$, then $x=1$, etc, so may have some neighbour effects
- Vary threshold from $-100 \rightarrow 100$ for shapers, $-200 \rightarrow 200$ for samplers, in steps of 5 or 10, respectively (40 steps total)
- Total $42 \times 40 = 1680$ variations
- Run for 19 bunch crossings per bunch train so never lose hits due to memory filling
- Histogram number of (noise) hits per setting for every pixel
- Only sensitive to pedestal (and noise); not to gain variations
- All done on sensor #11

Typical responses



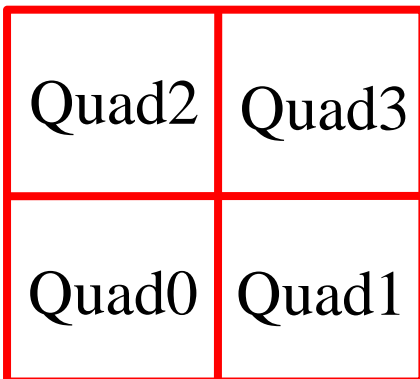
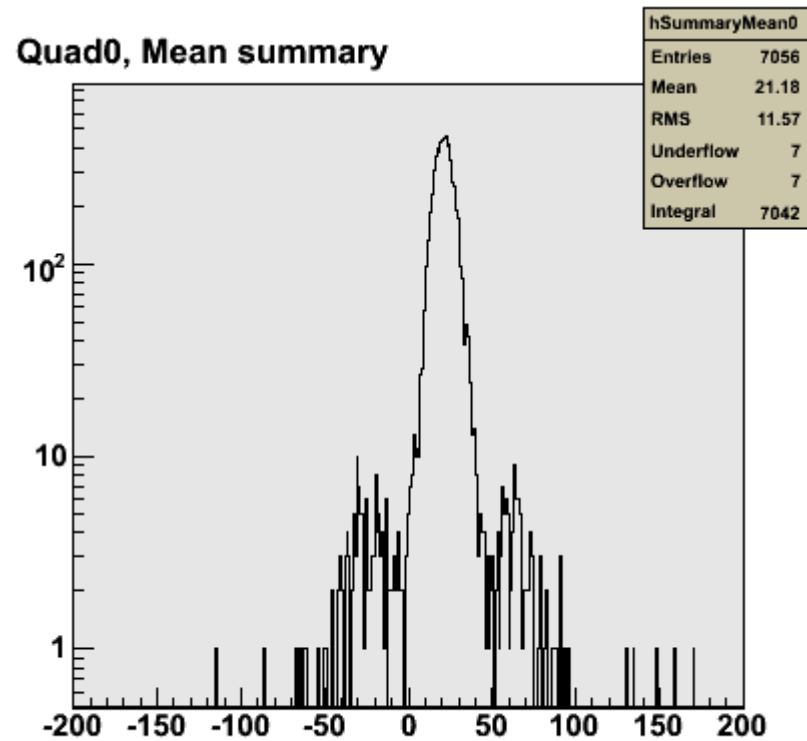
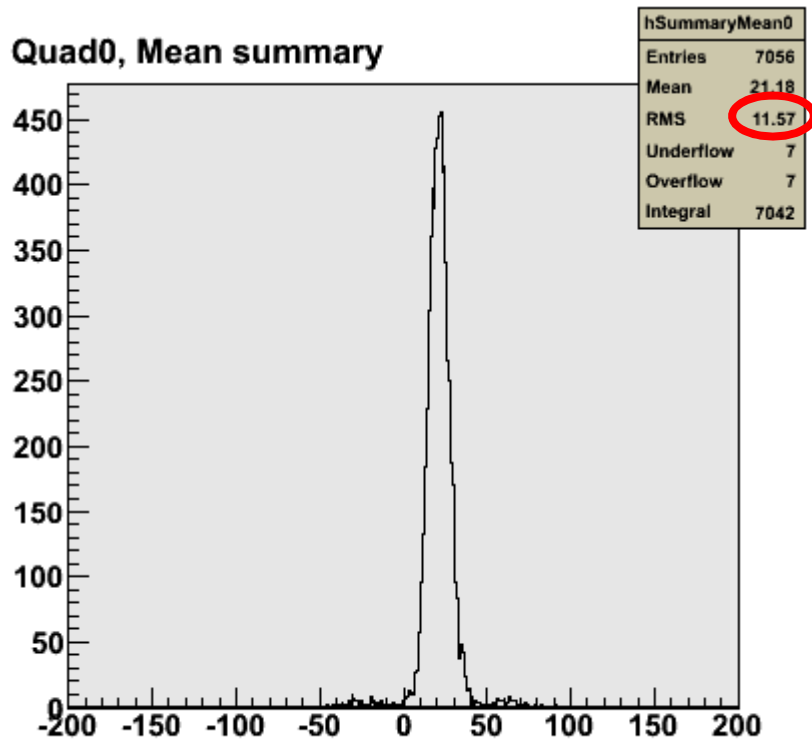
Fit is to a **Gaussian**; interpretation of width needs care but mean is probably OK

Shapers show some variation



Mainly centred on $\sim +20\text{TU}$ but also see peaks at $\sim -20\text{TU}$ and $+70\text{TU}$

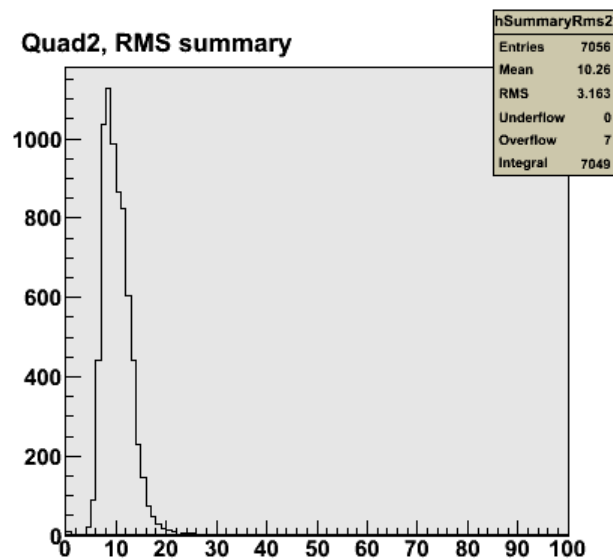
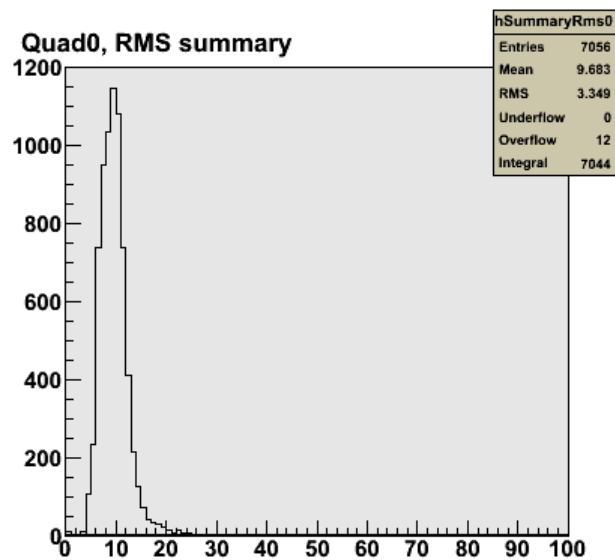
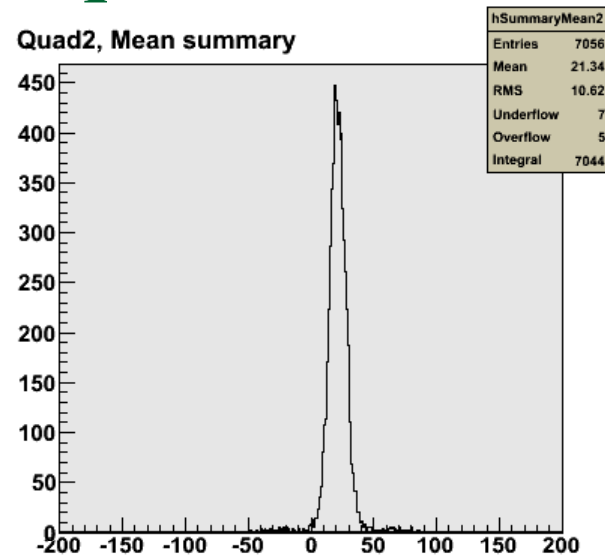
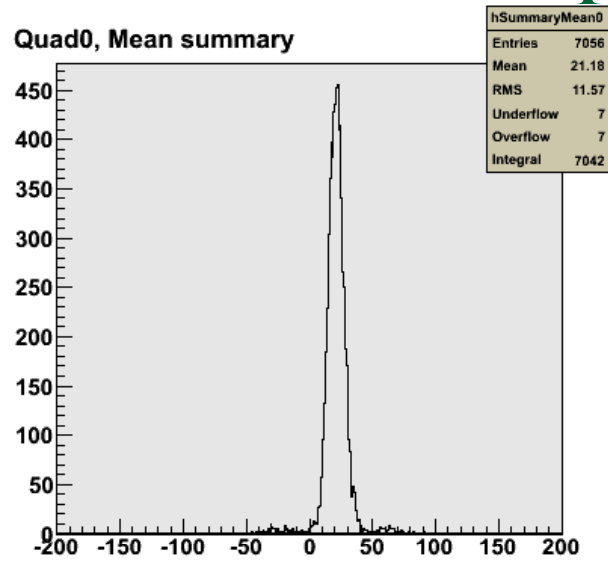
Distribution of means for quadrant 0



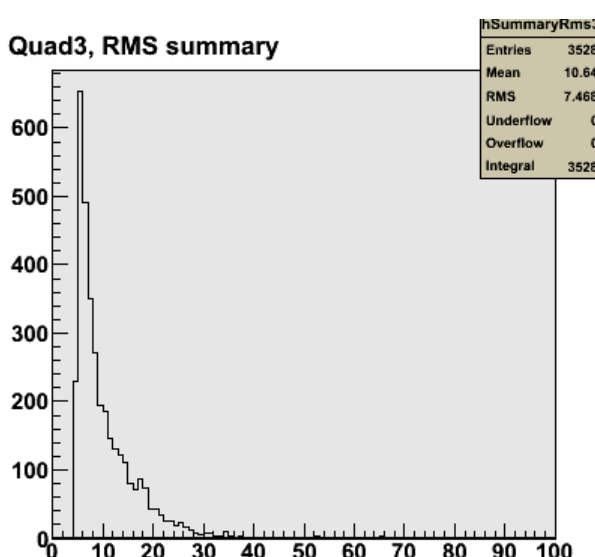
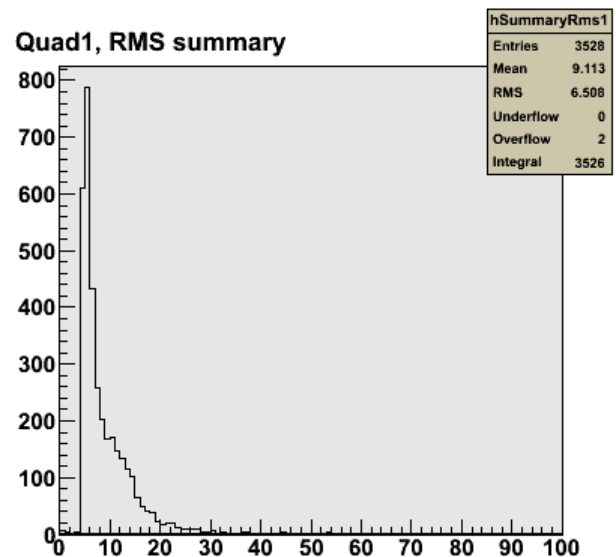
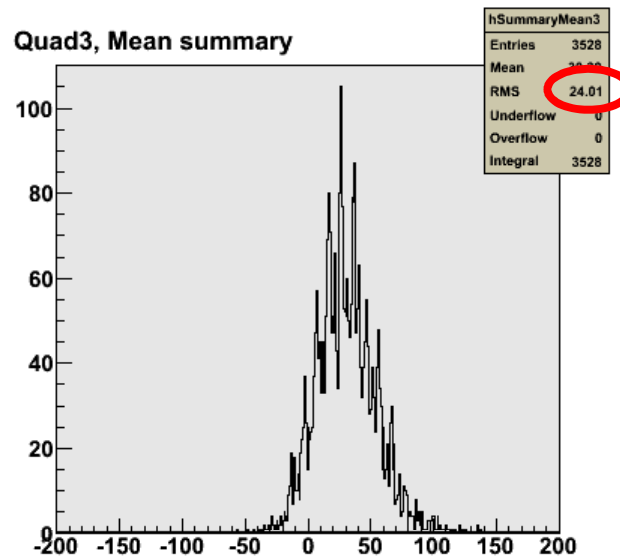
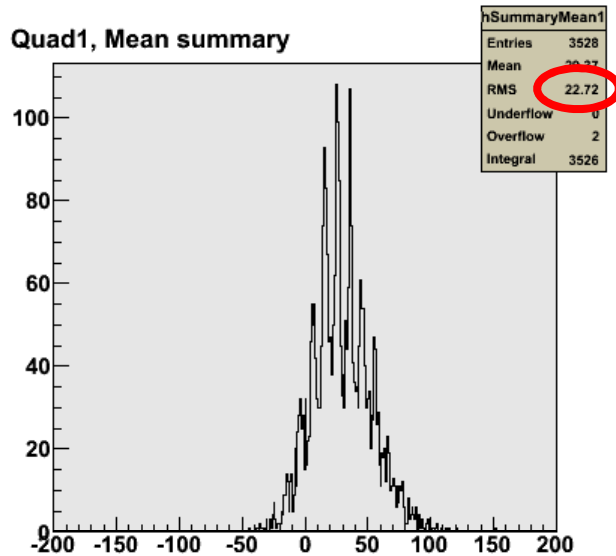
With $1\text{TU} \sim 30\text{eV} \sim 8e^-$, then
expected noise $\sim 40e^- \sim 5\text{TU}$

Mean spread $\sim 2 \times \text{noise}$

Similar for both shaper quadrants 0 and 2



Samplers show different structure

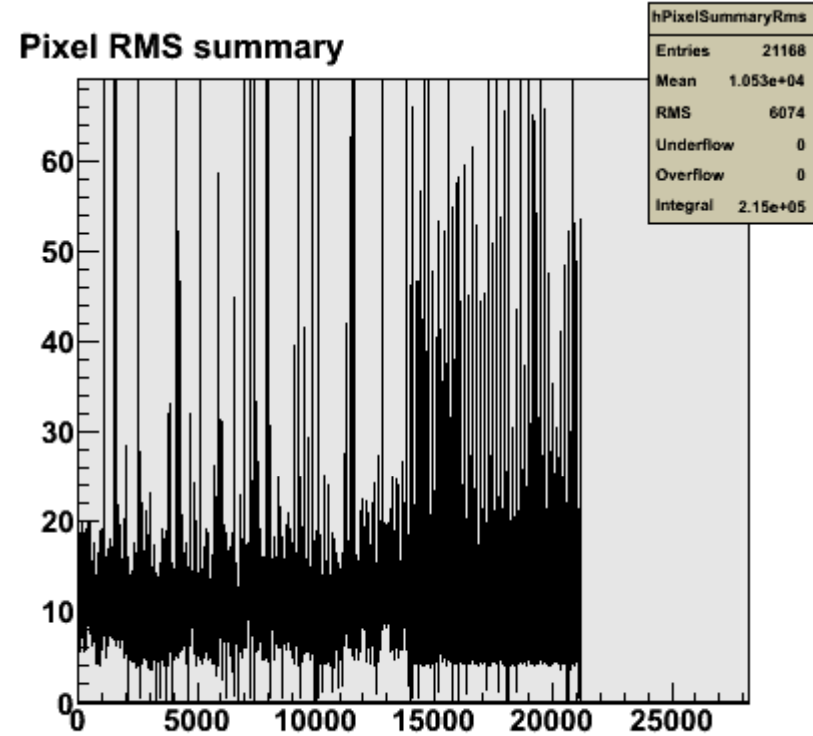
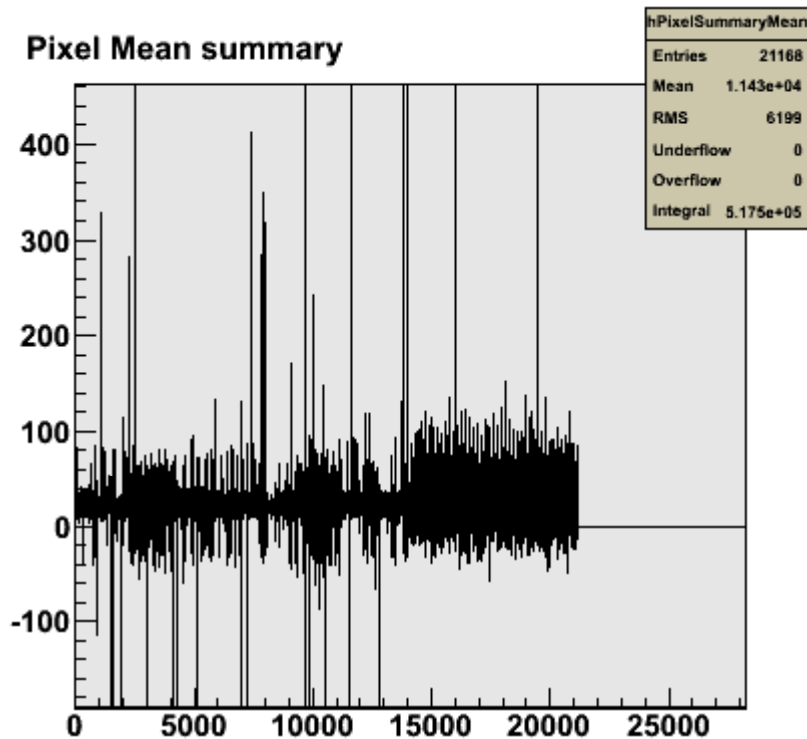


Peaks separated
by $\sim 10\text{TU}$

With $1\text{TU} \sim 15\text{eV}$
 $\sim 4\text{e}^-$, then
expected noise \sim
 $40\text{e}^- \sim 10\text{TU}$

Mean spread \sim
 $2 \times \text{noise}$

Summary over whole sensor



$$X \text{ axis} = 168 \times x + y$$

No readout for $x \geq 126$ upwards; **not understood**